

## Quantifiers

[Heim-Kratzer ch. 6, Keenan-Stavi, van der Does et al.]

### 1. Quantificational Noun/Determiner Phrases (N/DPs).

- Some DPs do not denote objects of type  $e$ : the ones in (2a-b) don't; if the ones in (3) did, we would not expect the failure of certain entailments (book 6.1.1) nor the ambiguities/readings in (5) and (7).

- (1) Type  $e$ :
  - a. Proper names: **Paul, Mathias, Tegucigalpa, Kosovo.**
  - b. Definite descriptions: **the person next to me, my older sister** (= "the older sister of mine").
  - c. Pronouns and traces: **him<sub>1</sub>, she<sub>5</sub>, t<sub>3</sub>.**
- (2) Not type  $e$ :
  - a. **[[No man]]** = ???
  - b. **[[Only Susan]]**  $\neq$  Susan, since **[[ (2c) ]]**  $\neq$  **[[ (2d) ]]**.
  - c. **Only Susan came.**
  - d. **Susan came.**
- (3) Type  $e$ ?:
  - a. **[[Every woman]]** =? **[[the women]]** = the group or plural individual of all women.
  - b. **[[At least one woman]]** =? A particular group of women that includes at least one woman (e.g., the group formed by Stephanie and Emily).
  - c. **[[More than three women]]** =? A particular group of women that includes more than three women (e.g., the group formed by Sue, Jana, Eva and Kate).
- (4) It didn't snow on Christmas Day.
- (5) It didn't snow on more than two of these days.
  - a. "It is not the case that it snowed on more than two of these days."
  - b. "More than two of these days are such that it didn't snow on them."
- (6)
  - a. Sue, Jana and Shaleigh saw Erwin and Matts.
  - b. Sue, Jana and Shaleigh are such that they saw Erwin and Matts.
  - c. Erwin and Matts are such that Sue, Jana and Shaleigh saw them.
- (7)
  - a. Exactly three women saw every man.
  - b. Exactly three women are such that they saw every man.
  - c. Every man is such that exactly three women saw him.

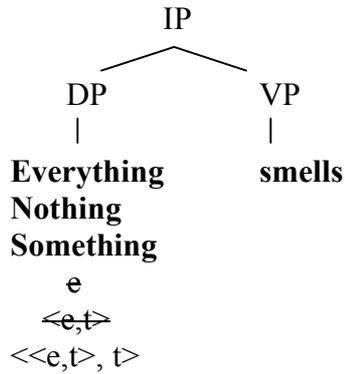
- Those problematic DPs do not denote functions of type  $\langle e, t \rangle$  either: having the denotations in (8) leads to problems.

- (8)
  - a. **[[everything]]** =  $D_e$
  - b. **[[nothing]]** =  $\emptyset$

EXERCISE: Do exercise in book pp. 138-139, parts (a) and (b).

- The solution: those DPs denote functions of type  $\langle\langle e,t\rangle, t\rangle$ .

(9)



- Idea: When we had proper names as Subjects, the VP was predicating or saying something of the proper name Subject; when we have a quantificational DP as Subject, it is the QuDP that predicates or says something of the VP, e.g., that its denotation equals  $D_e$ , that it equals  $\emptyset$ , or that it does not equal  $\emptyset$ .

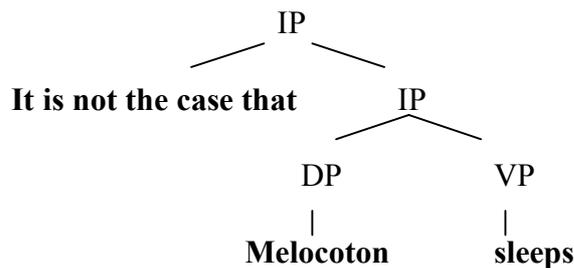
(11)  $\llbracket \text{everything} \rrbracket = \lambda Y_{\langle e,t\rangle}. \forall x_e [Y(x)]$

(12)  $\llbracket \text{nothing} \rrbracket = \lambda Y_{\langle e,t\rangle}. \forall x_e [\neg Y(x)]$   
 $= \lambda Y_{\langle e,t\rangle}. \neg \exists x_e [Y(x)]$

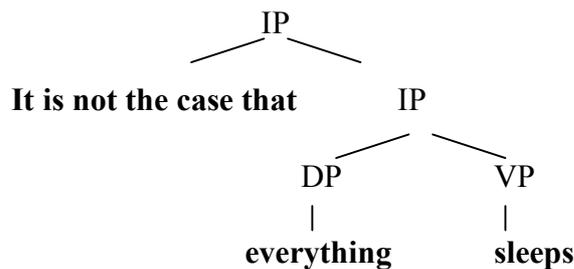
(13)  $\llbracket \text{something} \rrbracket = \lambda Y_{\langle e,t\rangle}. \exists x_e [Y(x)]$

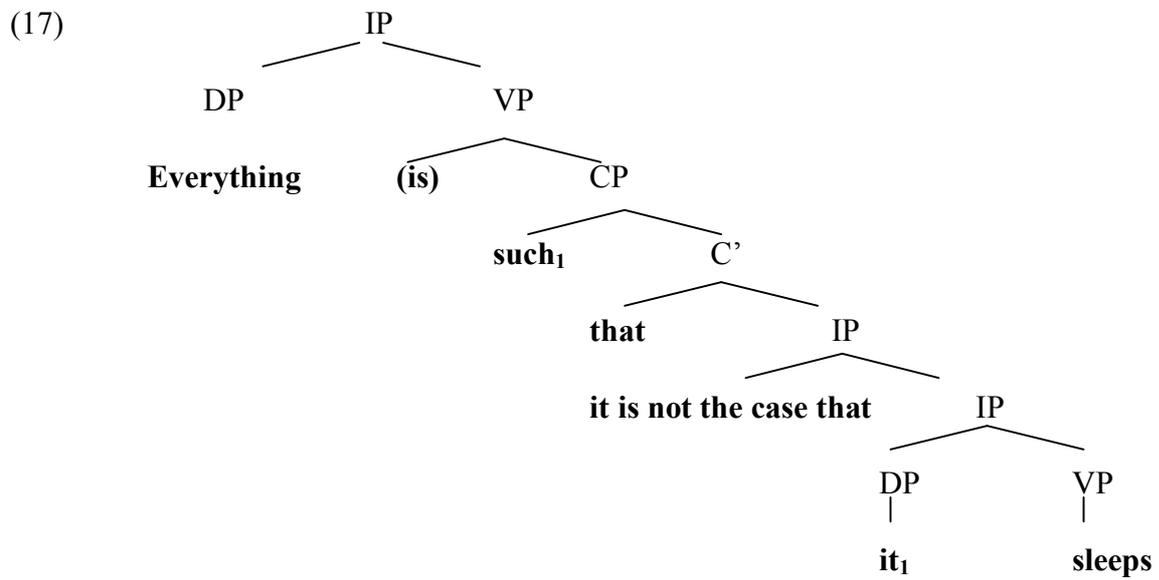
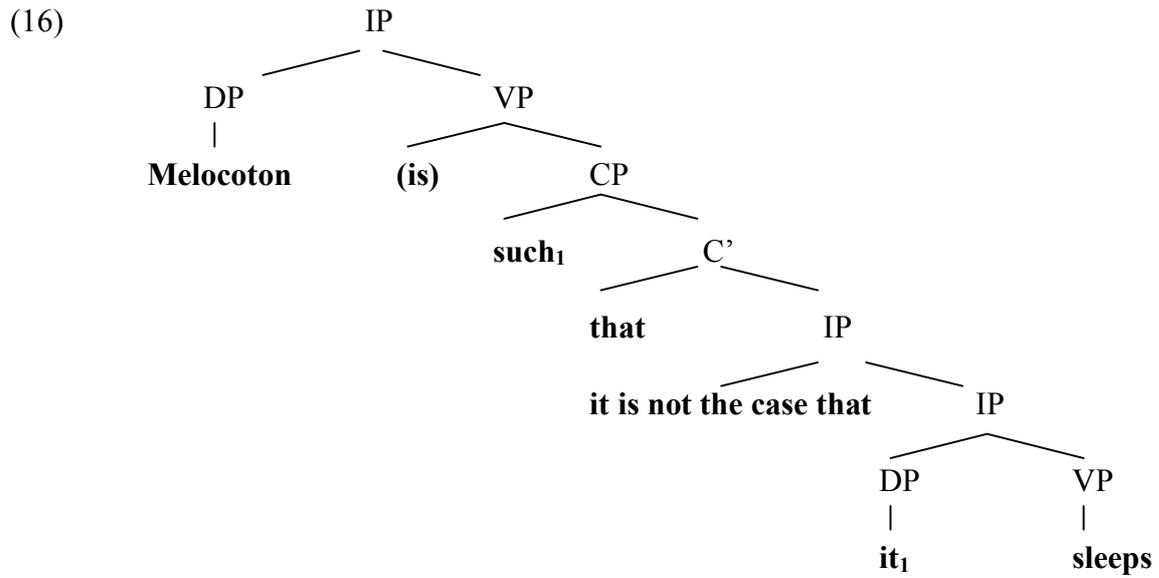
QUESTION 1: Spell out the semantic computation of (14)-(17):

(14)



(15)





## 2. Quantificational Determiners: semantic type and denotation.

- The type of quantificational Determiners:

